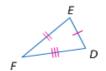
Postulate 4.1 Side-Side (SSS) Congruence Postulate

If three sides of one triangle are congruent to three sides of a second triangle, then the triangles are congruent.

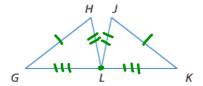




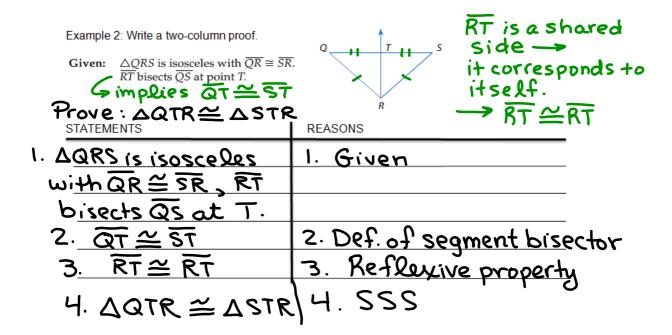
Example 1: Write a two-column proof.

Given: $\overline{GH} \cong \overline{KJ}, \overline{HL} \cong \overline{JL}, \text{ and } L \text{ is the midpoint of } \overline{GK}. \longrightarrow \text{implies}$

Prove: $\triangle GHL \cong \triangle KJL$



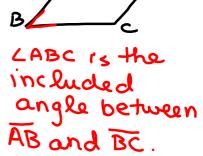
REASONS
1. Given
2. Def. of midpoint
3. \$\$\$



2 SAS Postulate The angle formed by two adjacent sides of a polygon is called an included angle. Consider included angle JKL formed by the hands on the first clock shown below. Any time the hands form an angle with the same measure, the distance between the ends of the hands \overline{JL} and \overline{PR} will be the same.







 $\triangle PKR \cong \triangle JKL$

Any two triangles formed using the same side lengths and included angle measure will be congruent. This illustrates the following postulate.

Words If two sides and the included angle of one triangle are congruent to two sides and the included angle of a second triangle, then the triangles are congruent.

Example If Side $\overline{AB} \cong \overline{DE}$, Angle $\angle B \cong \angle E$, and Side $\overline{BC} \cong \overline{EF}$,

Angle $\angle B \cong \angle E$, and Side $\overline{BC} \cong \overline{EF}$, then $\triangle ABC \cong \triangle DEF$.

Example 3:

LIGHTING The scaffolding for stage lighting shown appears to be made up of congruent triangles. If $\overline{WX} \cong \overline{YZ}$ and $\overline{WX} \mid\mid \overline{ZY}$, write a two-column proof to prove that $\triangle WXZ \cong \triangle YZX$.

Given: $\omega x \cong \forall z$, $\omega x || z \forall$ $\forall z \in \exists x \in$

STATEMENTS	REASONS
1. WX = 72, WX 11 ZY	1. Given
2. LWXZ = LXZY	2. Alternate Interior Angles Thm.
3. 27 = 27	3. Reflexive Property
4. DWXZ Z DYZX	4. SAS
-	

Example 4:

EXTREME SPORTS The wings of the hang glider shown appear to be congruent triangles. If $\overline{FG} \cong \overline{GH}$ and \overline{JG} bisects $\angle FGH$, prove that $\triangle FGJ \cong \triangle HGJ$.

Given: FG = GH, JG bisects

Prove: AFGJ = AHGJ

STATEMENTS	REASONS
1. FG ~ GH, JG biseds	1.Given
2. LFGJ = LHGJ	2. Def. of Angle Bisector
3. JG Z JG	3. Reflexive Property
4. OFGJ Z AHGJ	4. SAS ' "